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A PEEK INTO THE BLACK BOX EXPLORING CLASSIFIERS BY RANDOMIZATION

BACKGROUND

In predictive data mining, it is important to both find models with high predictive performance, but also to understand what factors that are of important for the predictions.

A MOTIVATING EXAMPLE

The class variable (+ or -) for this binary toy dataset is given by column *c*. The prediction of a classifier, defined by the binary relation $f(A) = (A_1 \bigoplus A_2) \lor A_3$, on the original data is given in column *y*. The prediction of the classifier on the randomized data is given in the column $y^* = f(A)$; non-matching predictions that drop fidelity are shown encircled.

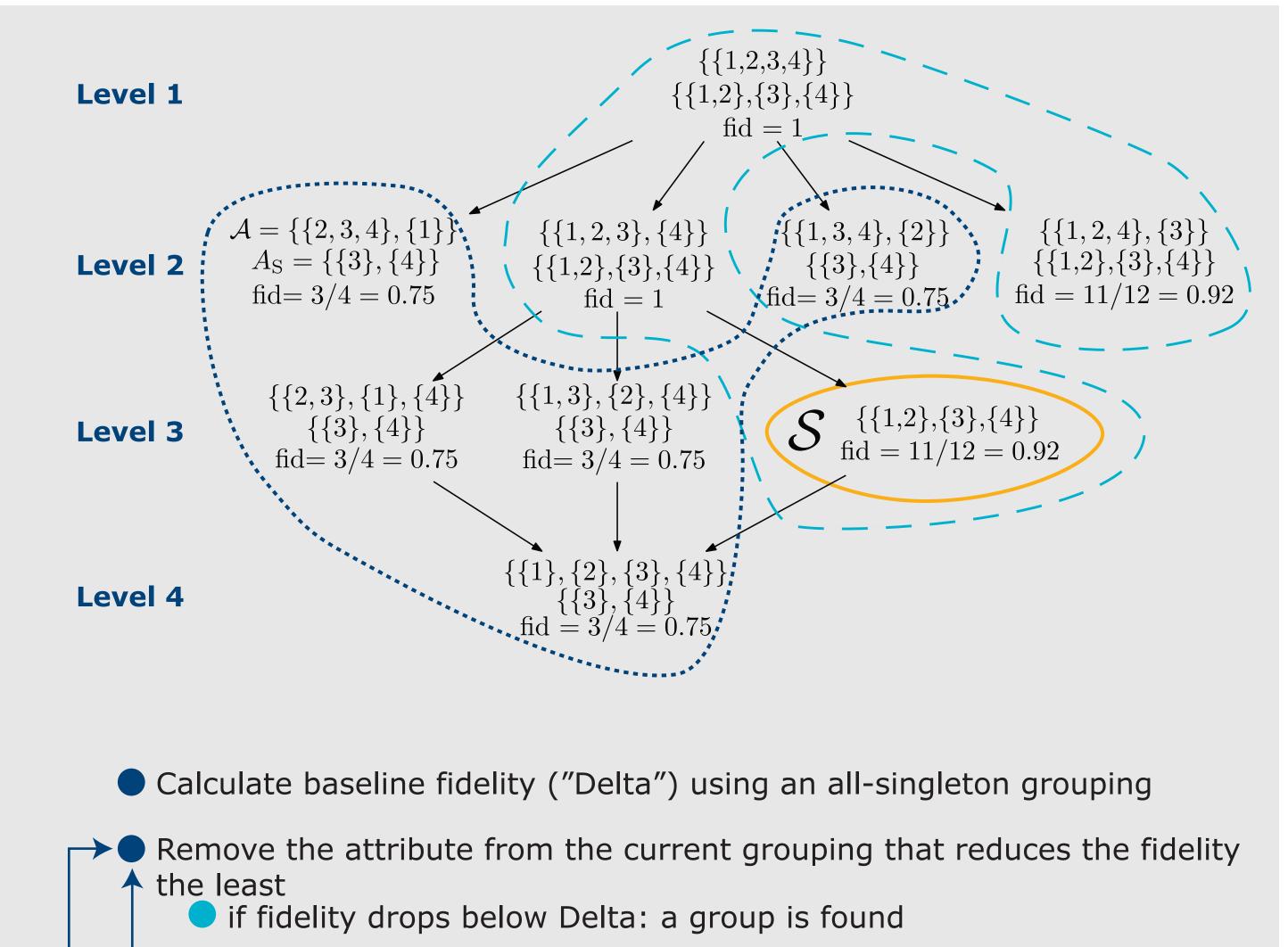
Classifiers are often opaque and cannot easily be inspected to gain understanding of which factors that are of importance and how the classifier is utilizing the structure of the data. Many high-performing learning algorithms, such as support vector machines (SVMs) and random forests are complex and can be considered to be black box models.

Randomization testing has been used for detecting if a classifier uses interactions between attributes but this method only detects the existence of attribute interaction, and does not provide information on which attributes interact.

$c \hspace{0.1in} y \hspace{0.1in} \mathcal{A}_1 \hspace{0.1in} \mathcal{A}_2 \hspace{0.1in} \mathcal{A}_3 \hspace{0.1in} \mathcal{A}_4$	$y y^* \mathcal{A}_1 \mathcal{A}_2 \mathcal{A}_3 \mathcal{A}_4$	$y y^* \mathcal{A}_1 \mathcal{A}_2 \mathcal{A}_3 \mathcal{A}_4$	$y y^* \mathcal{A}_1 \mathcal{A}_2 \mathcal{A}_3 \mathcal{A}_4$
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THE GOLDENEYE ALGORITHM

We study the novel problem of finding groups of attributes whose interactions affect the predictive performance of a given classifier. The problem is formulated as an optimization problem, using **fidelity** (the fraction of matching predictions between the original dataset and a randomized dataset) as the goodness measure.



The iterative **GoldenEye algorithm** solves the optimization problem and can be used for analyzing what interactions are important for any generic classifier, without any assumptions on the classifier or the underlying distribution of the data.

The goal is to **find groups of interacting attributes**, the breaking of which decreases fidelity. This is realized iteratively, in a top-down and greedy fashion.

The algorithm as available as an R-package https://bitbucket.org/aheneliu/goldeneye

- else, continue removing attributes

• Using the final grouping, test which singletons can be pruned

RESULTS

The groupings reveal interesting patterns in the data. The discovered groupings reflect the asumptions of the classifier and represent the interaction between the classifier and the data.

CONCLUSIONS

The novel algorithm finds groupings of interacting attributes exploited by the different classifiers. These groupings allow for finding similarities among classifiers for a single dataset as well as for determining the extent to which different classifiers exploit such interactions in general.

glass		accuracy	y	y																			
size: classes: attributes: major class: Classifier	$214 \\ 6 \\ 9 \\ 0.36$	original accu	final accuracy	Bayes fidelity	final fidelity	Bu	al al	ri	si	na	fe	ca	×	ba	ШG Ш	al	ri	si	na	fe	ca	k	ba
OneR		0.52	0.52	1.00	1.00	-	0								4	1	2	5	3	9	7	6	8
JRip		0.52 0.55	0.52 0.51	0.94	0.91		0					0	0		7	1	$\frac{2}{5}$	4	6	9	3	2	-
SMO		0.50	0.50	0.87	0.96	A	A	Α			A		0		1	$\hat{2}$	3	7	8	4	5		9
J48		0.58	0.57	0.87	0.97	A	A	Α		A	A			0	2	1	5	7	4	6	9	8	3
randomForest		0.73	0.72	0.89	0.99	A	A	A	A	A	A	Α	A		2	1	3	5	4	8	6	7	9
naiveBayes		0.52	0.51	0.90	0.96	A	A	A	A	A	A	Α	A	Α	1	4	8	9	7	5	6	3	2
Bagging		0.72	0.69	0.88	0.94	A	A	A	A	A	A	0	•	•	1	2	4	5	3	7	6	8	9
PART		0.63	0.57	0.78	0.90	A	A	A	Α	A	0	•	0	0	4	1	7	5	2	8	9	6	3
IBk		0.69	0.55	0.64	0.74	A	A	A	A	0	A	0	•	•	1	2	4	3	5	6	7	8	9
SMO radial		0.66	0.60	0.78	0.89	A	A	A	Α	0	A	0	0	•	1	2	4	7	5	3	6	8	9
LMT		0.55	0.52	0.77	0.88	A	A	A	Α	0	0	•	A	0	2	1	7	5	4	8	9	3	6
Logistic		0.56	0.43	0.54	0.63	A	0	•	Α	A	•	Α	0	0	4	6	7	1	3	9	5	2	8
AdaBoostM1		0.47	0.47	1.00	1.00	0	•	•	•	•	•	•	•	•	1	4	2	5	3	9	7	6	8
DecisionStump	þ	0.47	0.47	1.00	1.00	0	•	•	•	•	•	•	•	•	1	4	2	5	3	9	7	6	8
LogitBoost		0.65	0.61	0.78	0.91	0	A	A	A	A	•	Α	0	0	4	5	3	6	2	9	1	8	7

The method is usable in explorative data mining tasks, as it allows us to peek into black box classifiers and thus aids in the interpration of results.

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FOR DETAILS PLEASE REFER TO

Henelius, A., Puolamäki, K., Boström, H., Asker, L. and Papapetrou, P. A peek into the black box: exploring classifiers by randomization. Data Mining and Knowledge Discovery, 28(5-6): 1503-1529, 2014. http://dx.doi.org/10.1007/s10618-014-0368-8.





